



UNIVERSITÄT
DES
SAARLANDES



Australian
National
University

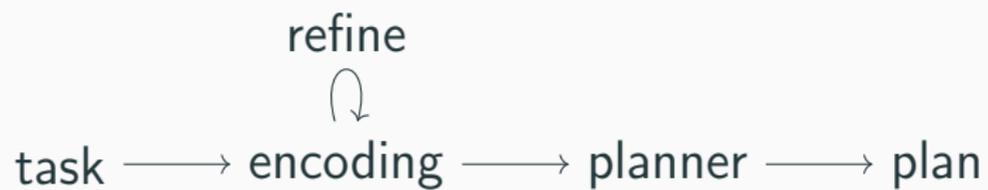
Arguments in Favor of Allowing a Modeler to Constrain Action Repetitions

Pascal Lauer^{1,2}

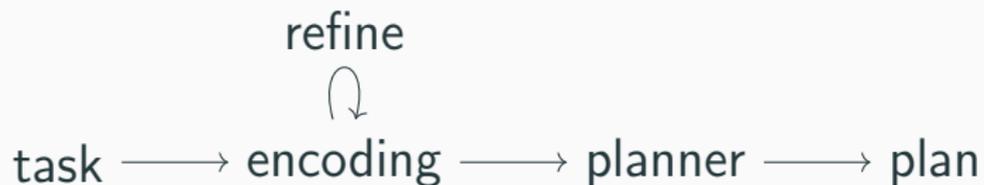
¹Australian National University, Australia

²Saarland Informatics Campus, Germany

Pipeline To Find Plans Fast

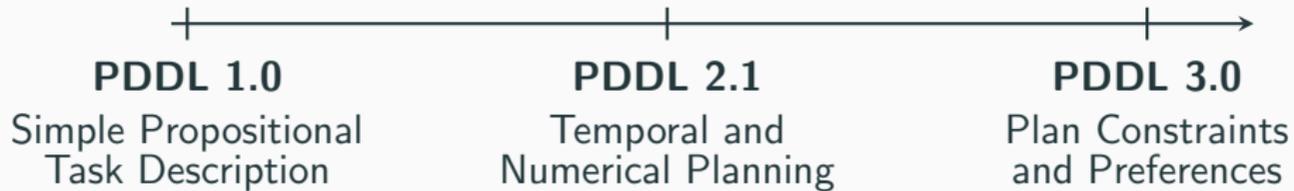


Pipeline To Find Plans Fast

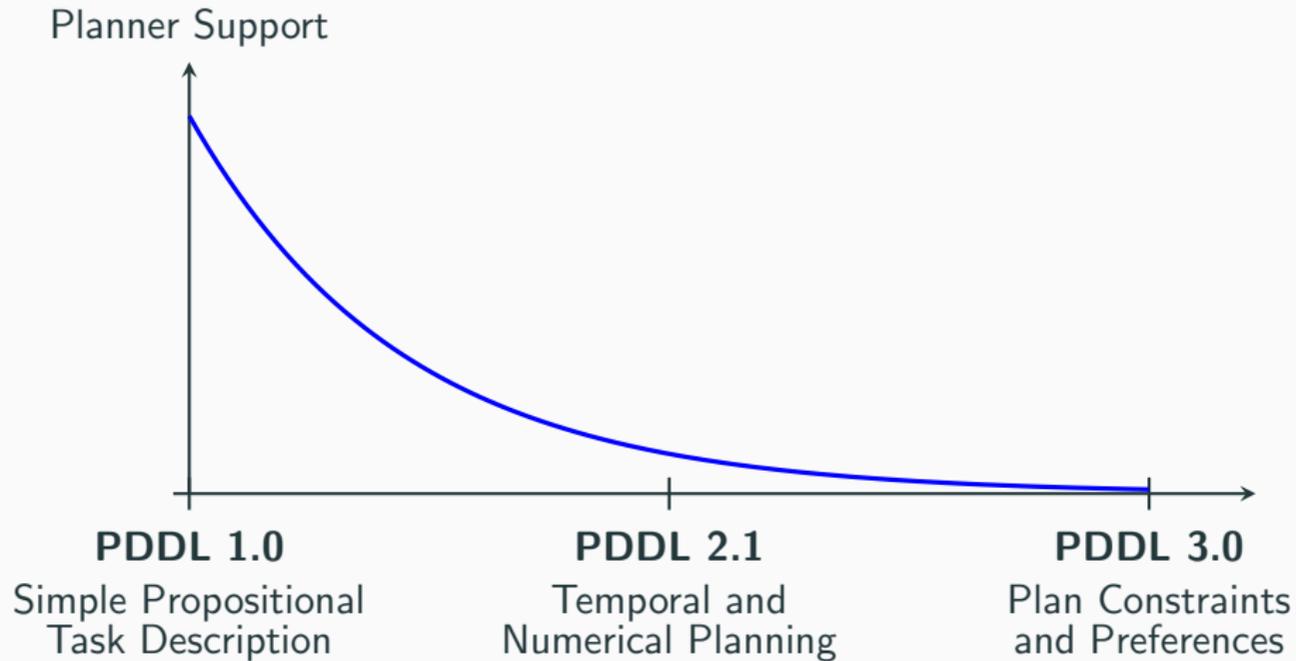


Why can't I just be given a better encoding?

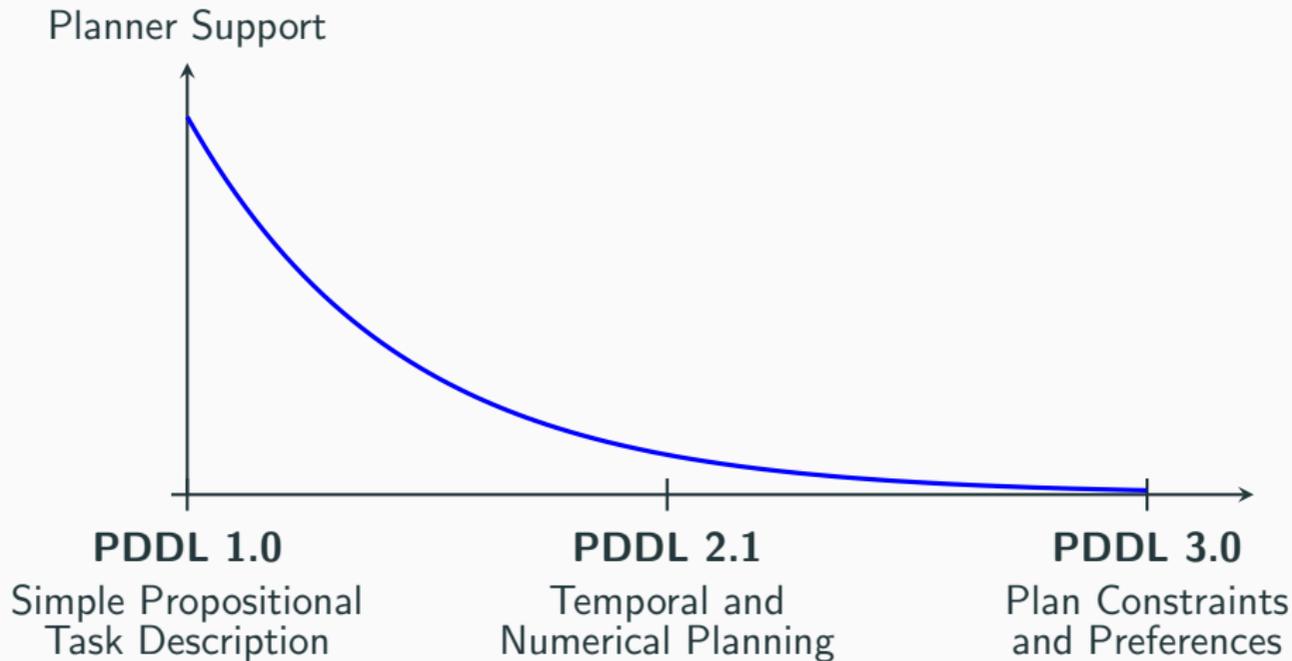
PDDL Feature Scale



PDDL Feature Scale vs Feature Support



PDDL Feature Scale vs Feature Support



Observation: For solver support we want simple descriptions.

So just don't be lazy right?



Modeller
(from important company)

Usually I drive route ...

Optimally

Any insights?

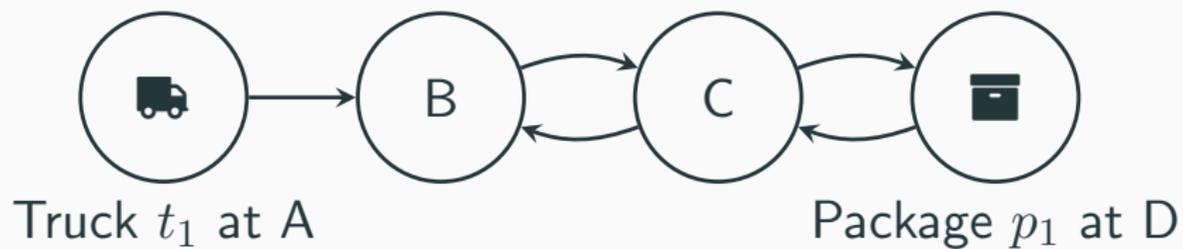
How should I solve it?

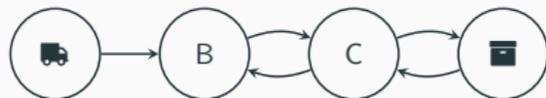


Planner Dev
(from important uni)

One simple constraint:
A bound on action repetitions!

Transport Domain





Assume Ground STRIPS representation

- Facts $\{at(pkg, D), at(tr, A), in(pkg, tr), \dots\}$
- Actions with $a = (pre(a), add(a), del(a))$ to $load_{tr,pkg,l}$, $pickup_{tr,pkg,l}$, $drive_{tr}$
- Initial State $\{at(tr, A), at(pkg, D)\}$
- Goal $\{at(pkg, B)\}$

Complexity question: Is there a plan for a given task?

Bounding Action Repetitions

Definition (Bound Map)

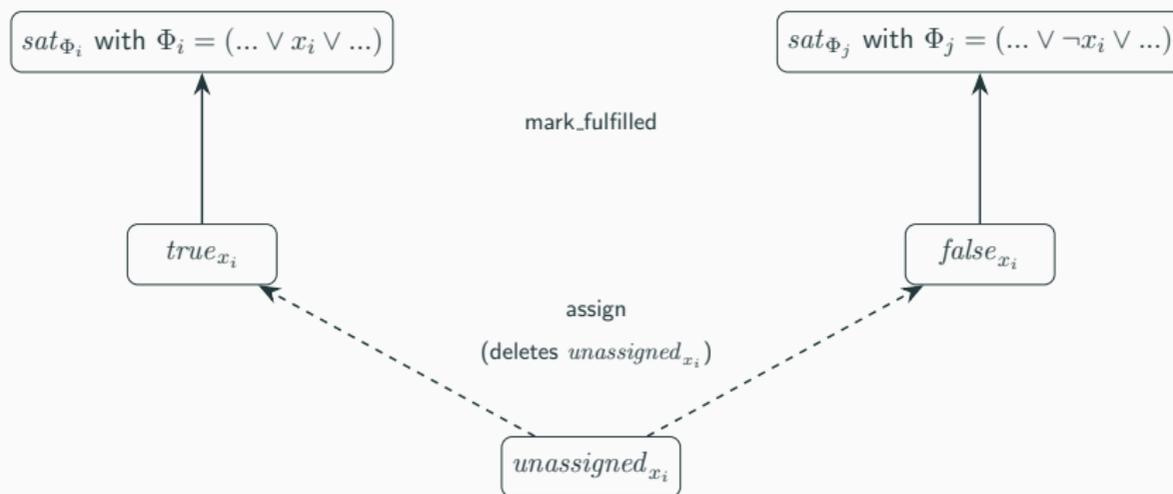
A plan π respects a bound map $b : A \rightarrow \mathbb{N} \cup \{\infty\}$ iff for every action $a \in A$ the number of occurrences of a in π does not exceed $b(a)$.

Theorem

Deciding whether there is a plan for a classical planning task that respect bound b , where each $b(a)$ is at most some constant $k \in \mathbb{N}^+$, is NP-complete.

Hardness (for $k = 1$):

Reduction from 3-SAT with formula $\Phi = \Phi_1 \wedge \dots \wedge \Phi_n$ (Bylander, 1994)



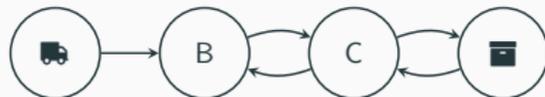
Membership:

Plan length bounded by $\sum_{a \in A} b(a)$ (polynomial) \Rightarrow Guess and check

Bounding Plans vs Bounding Actions

Why not just bound the plan length then? (Remember $\sum_{a \in A} b(a)$)

- Remember:

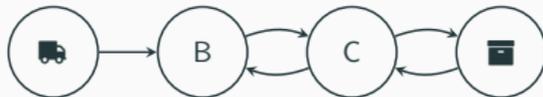


Anybody can see that a package can be delivered directly without first placing it at your neighbor's door.

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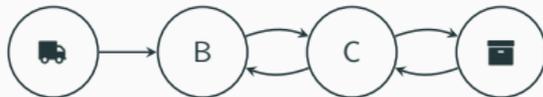
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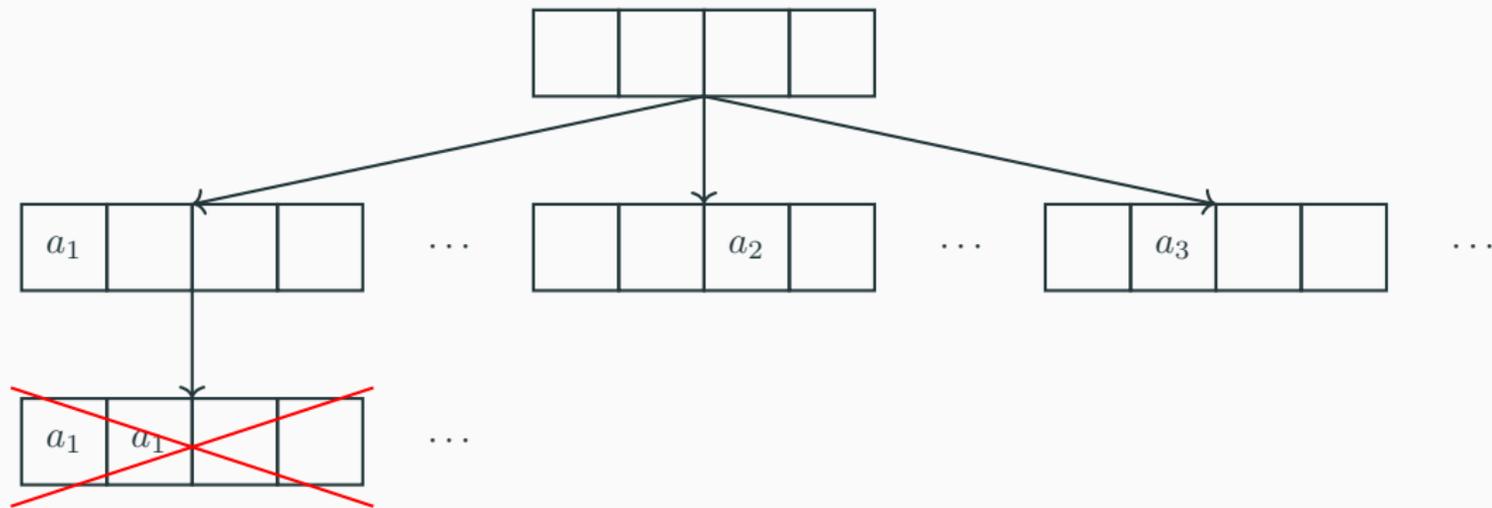
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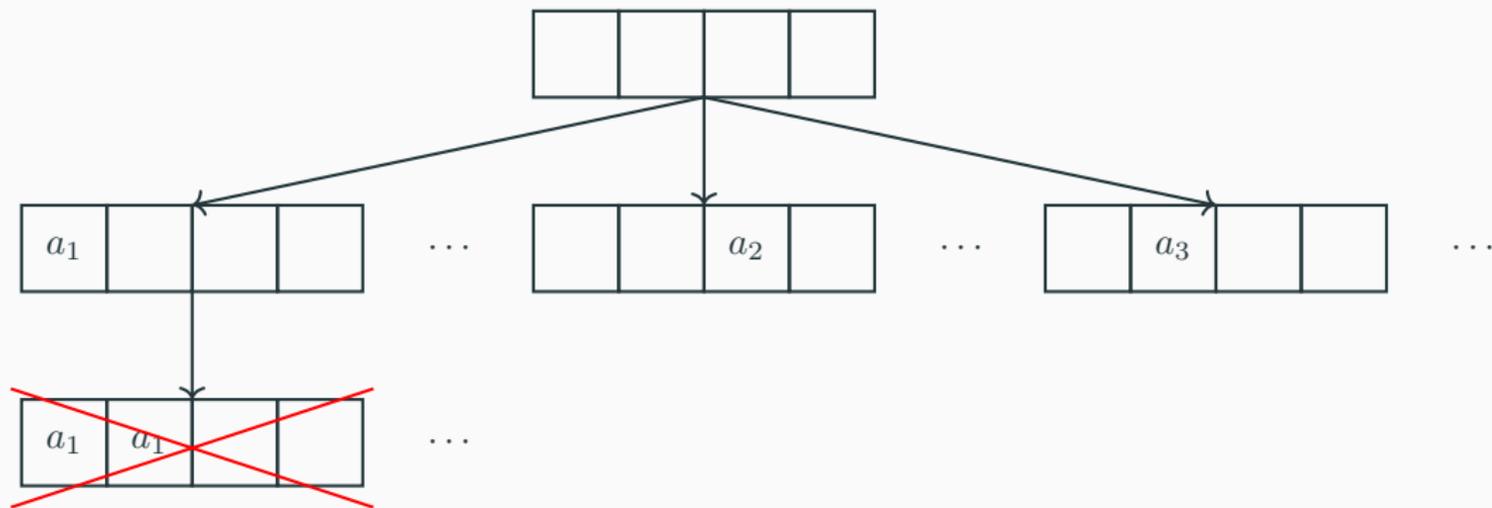
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- I doubt that the bound on total plan length is obvious to the average human being.
- At least for constraint solvers this helps **a lot** more.

High Level Constraint Search (SAT, ILP, ...)



High Level Constraint Search (SAT, ILP, ...)



(The total plan length would not prune this node.)

But what if you can not bound action repetitions?

Definition

An action $a \in A$ is *simple* if it has exactly one fact $f \in F$ in its precondition and delete list, i.e., $\{f\} = pre(a) = del(a)$, and every add effect $f' \in add(a)$ is poly-mutex¹ with f .

E.g.:

$Drive(t, from, to) :$ pre: $at(t, from)$
add: $at(t, to)$
del: $at(t, from)$

¹A mutex relation we can determine in polynomial time.

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E.g.:

$$\begin{aligned} Drive(t, from, to) : \quad & pre: at(t, from) \\ & add: at(t, to) \\ & del: at(t, from) \end{aligned}$$

Allows tracking that you have been at some position at some point, e.g.:
TSP or Visitall

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Theorem

Deciding plan existence for a planning task with simple actions is NP-complete.



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Deciding plan existence for a planning task with simple actions is NP-complete.



Theorem

Deciding whether there is a plan for a classical planning where all non-simple actions a occur at most $k \in \mathbb{N}^+$ times is NP-complete.

(Automatically) encode model with simple actions into Minizinc. (Visitall, TSP, ...)

- If actions are bounded to be repeated at most 1 times:
Solves all tasks ≤ 1 minute optimally

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- Includes all IPC tasks for Visitall.

Thank You :)